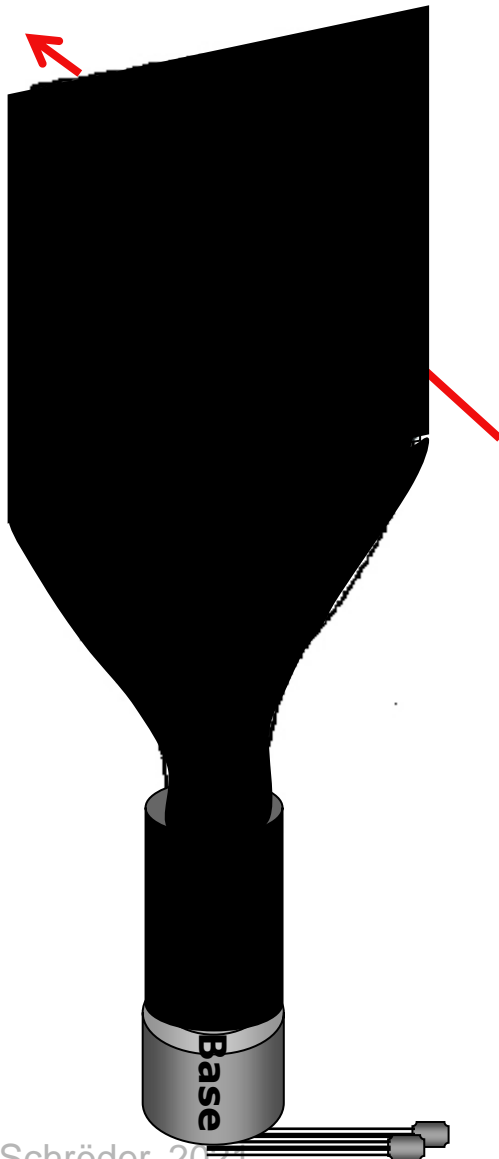


Survey: Scintillation Detectors



Construction of Scintillation Counters



- Scintillator ($q (\Delta E) \rightarrow h\nu \rightarrow h\nu^*$)
- Light guide (*collect, average, direct*)
- Photomultiplier ($h\nu^* \rightarrow e^- \rightarrow n e^-$)
- Base (*power PM dynode chain, readout*)

Scintillating Materials

Inorganic	{	gas (Ar, Xe, ...)
		liquid (He, Xe, ...)
		solid (NaI, CsI, BGO, BaF ₂ ..)
Organic	{	liquid (xylene, benzene, ..)
		solid (polystyrene, ..)

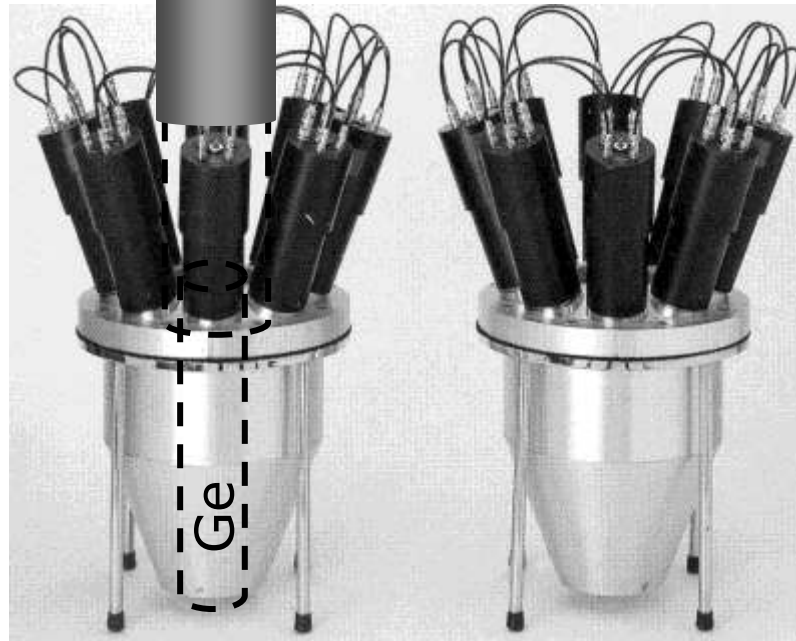
Protect scintillator + light guide against external light (\rightarrow wrap in black tape/plastic)

BGO Detectors



Ge
LN2
Dewar

BGO has high density, high efficiency for Compton scattered photons

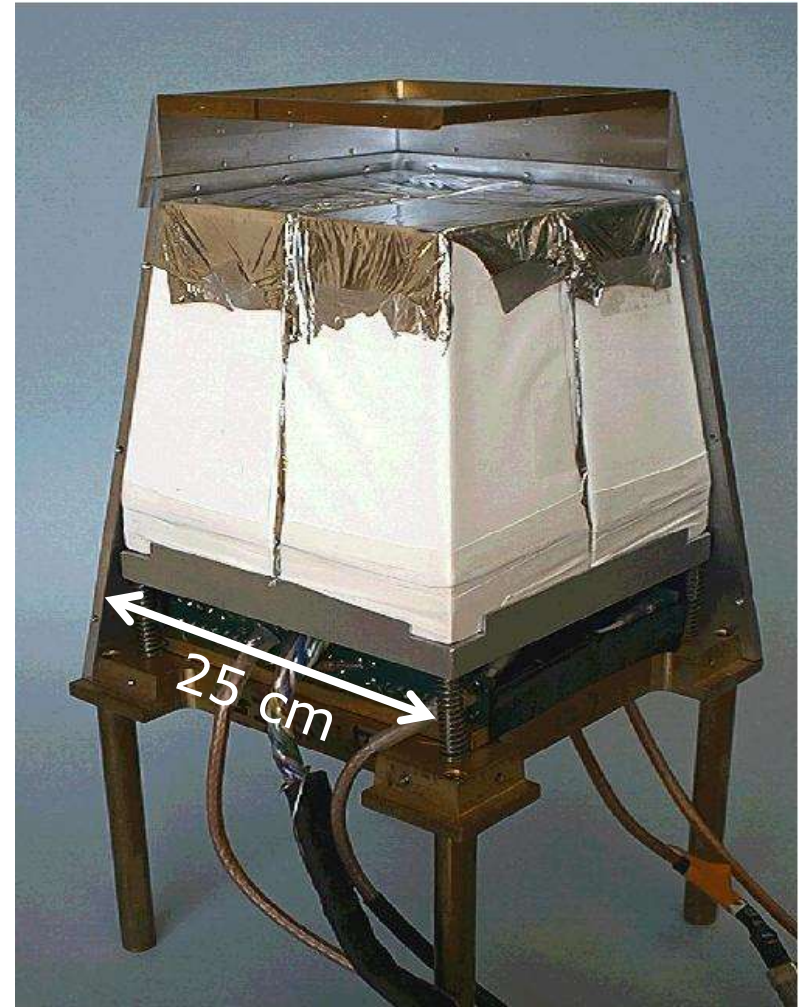


Anti-Compton Shield detectors for high-resolution γ spectroscopy with LN2 cooled Ge detectors

NaI(Tl) and CsI(Tl) Scintillation Detectors

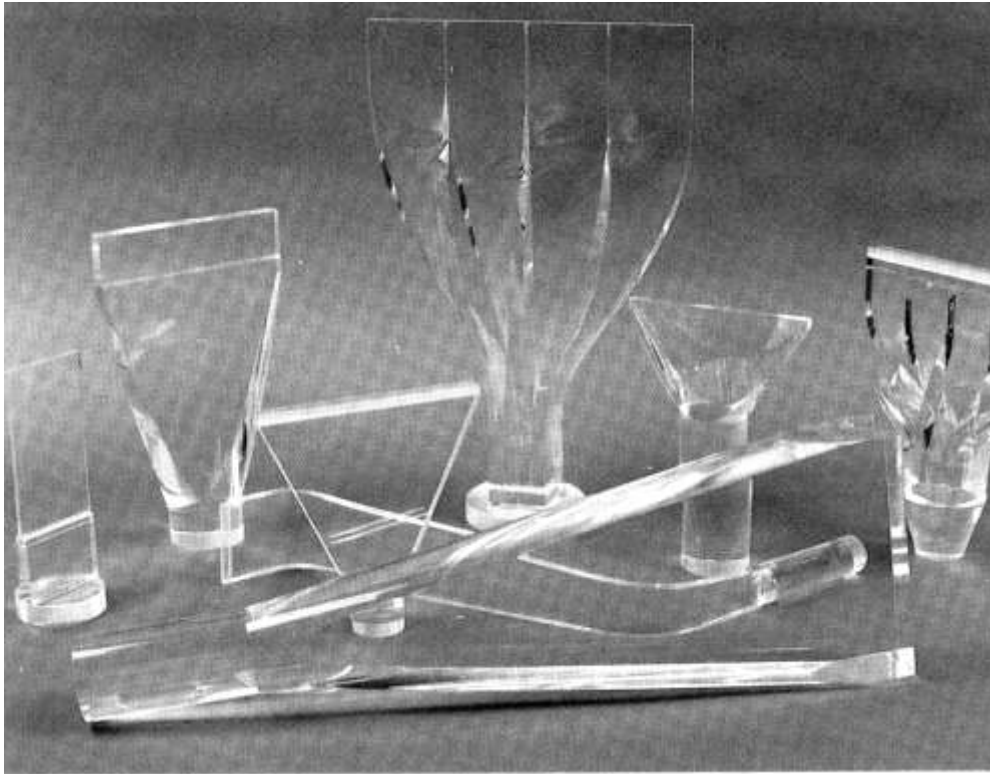


Commercial NaI(Tl) detectors:
Integral lines. (Harshaw)



Segmented CsI(Tl) detectors
for LASSA array (deSouza)

Light Guides



Liouville Theorem: constant phase space volume
(decrease cross section of guide \rightarrow loss of intensity)

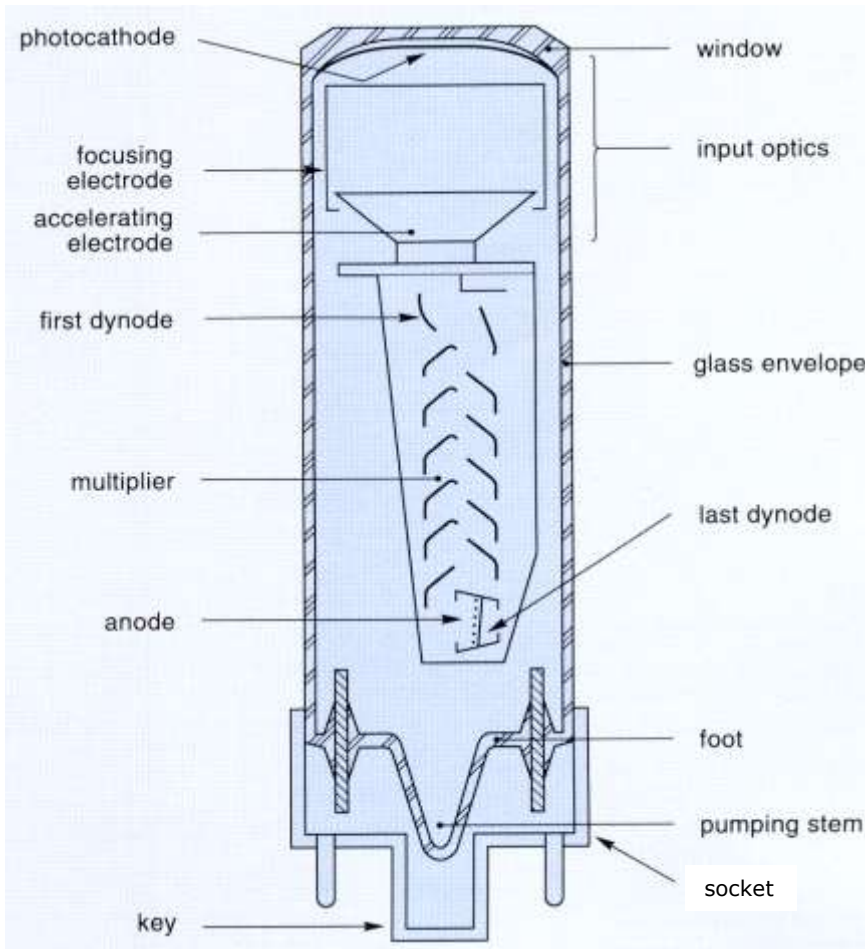
Bending radius r large enough for total internal reflection

$$n^2 - 1 > (d/2r + 1)^2$$

n =refractive index
 d =diameter of guide

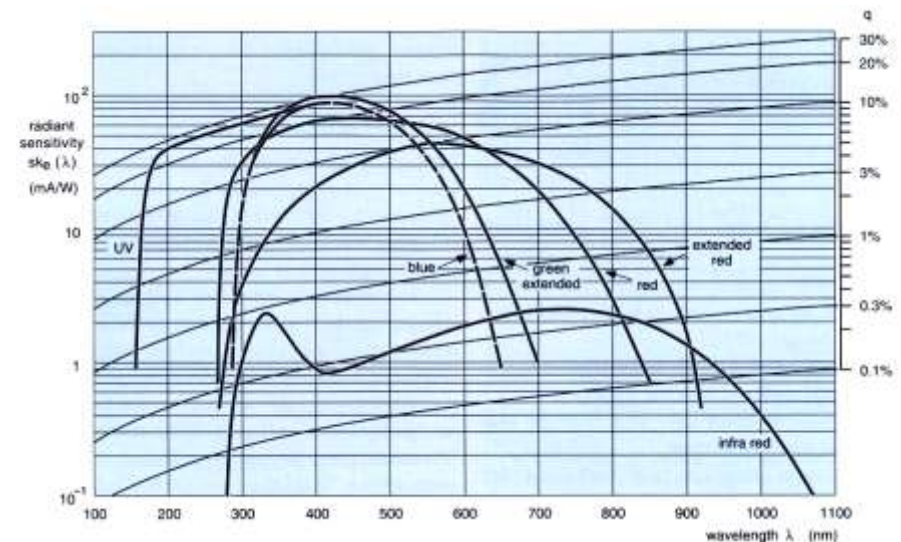
Electronic Photo-Multipliers

Philips 56 AVP



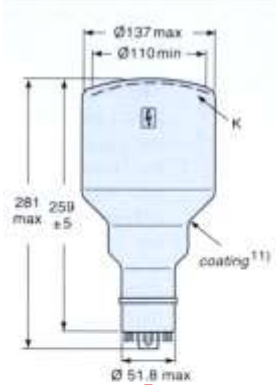
Criteria for choice:

- match photo cathode to scintillator light
- quantum efficiency
- rise time
- entrance window (glass, quartz,..)
- gain factor ($1 e^- \rightarrow n e^-$)
- dark current

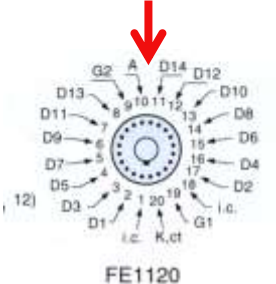


PM Operation

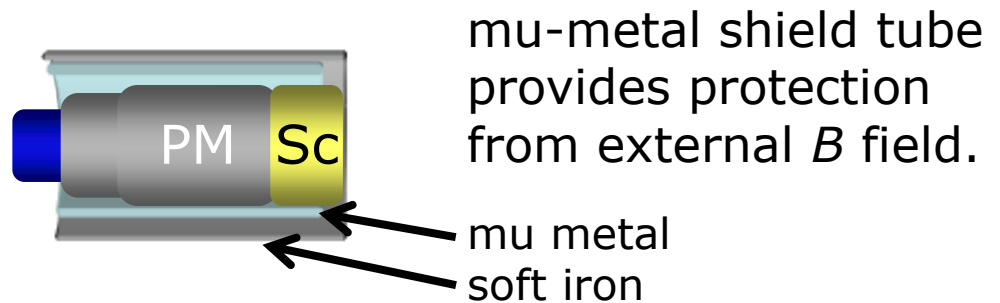
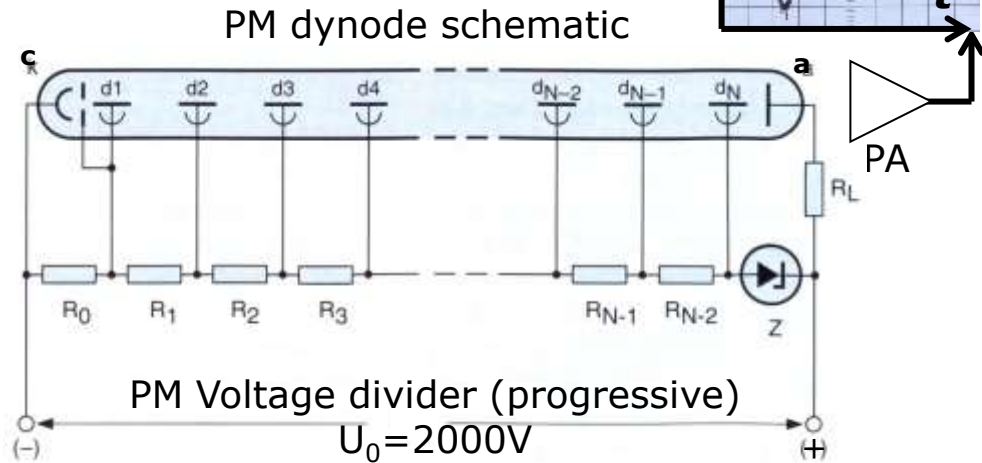
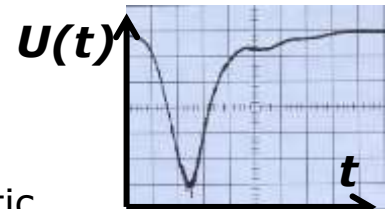
Fast PM: pulse rise time ~ 2 ns, gain: $3 \cdot 10^7$



Philips XP 2041
5" dia cathode
N=14 dynodes
+ focusing electrodes
Needs curvature
adapter cathode/scint.



Socket FE1120
pin connections

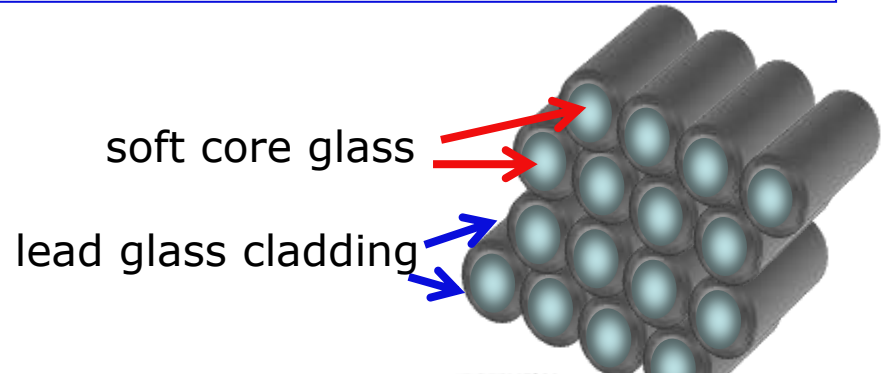
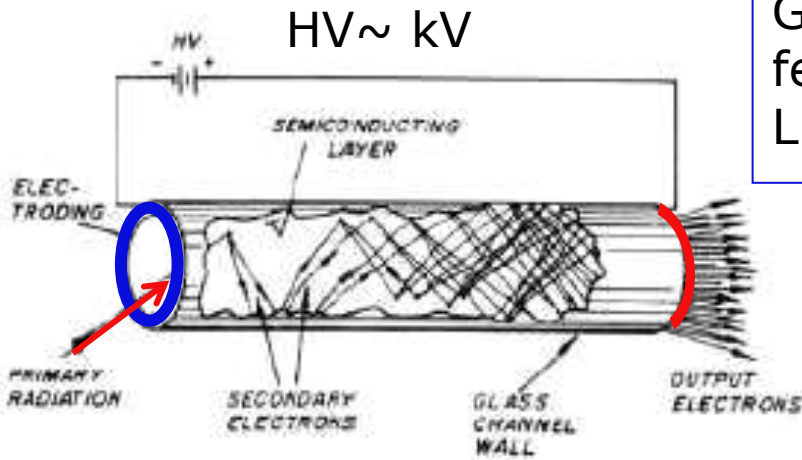


mu-metal shield tube
provides protection
from external B field.

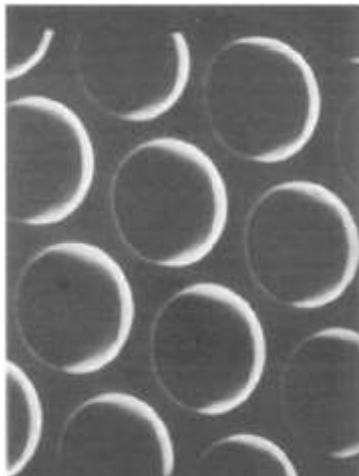
mu metal
soft iron

Channel Electron Amplifiers

Glass fiber tubes (straight or curved), few 10 μm dia. etched, inside coating LiF , MgF_2 , KCl , CsI ,...

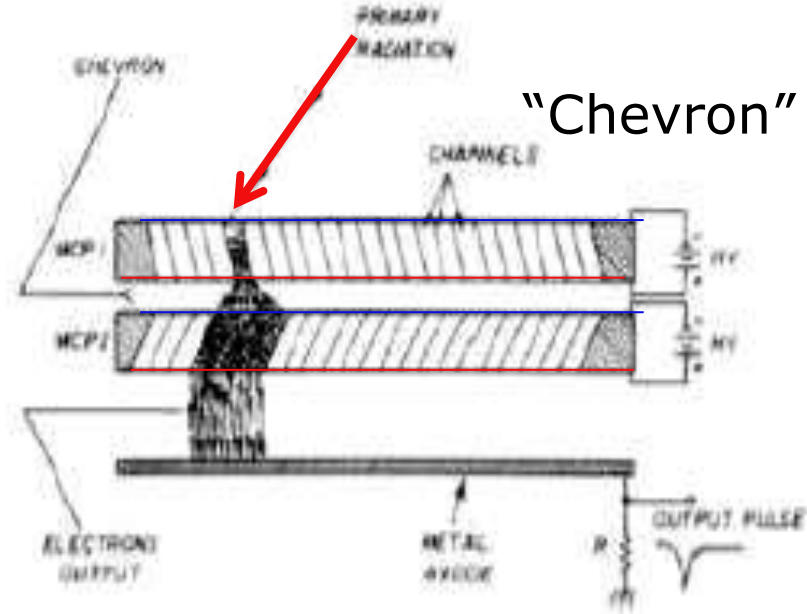
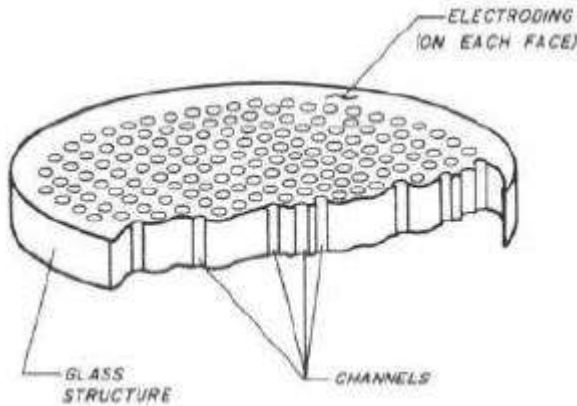


Stacked tubes



MCP face

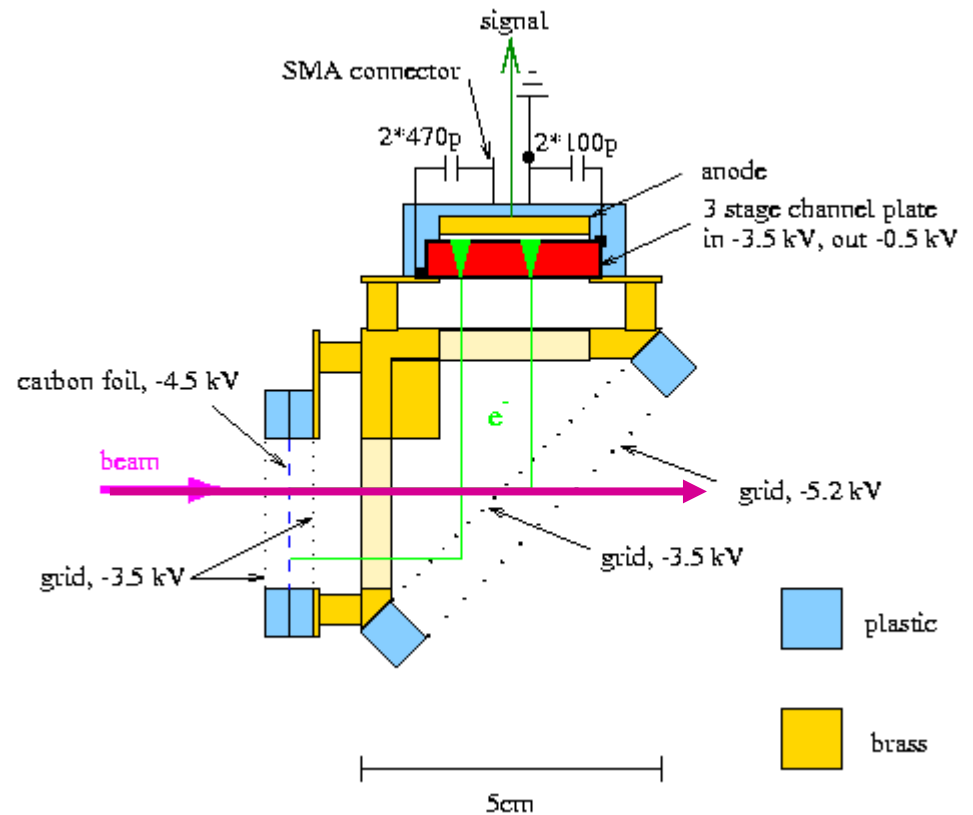
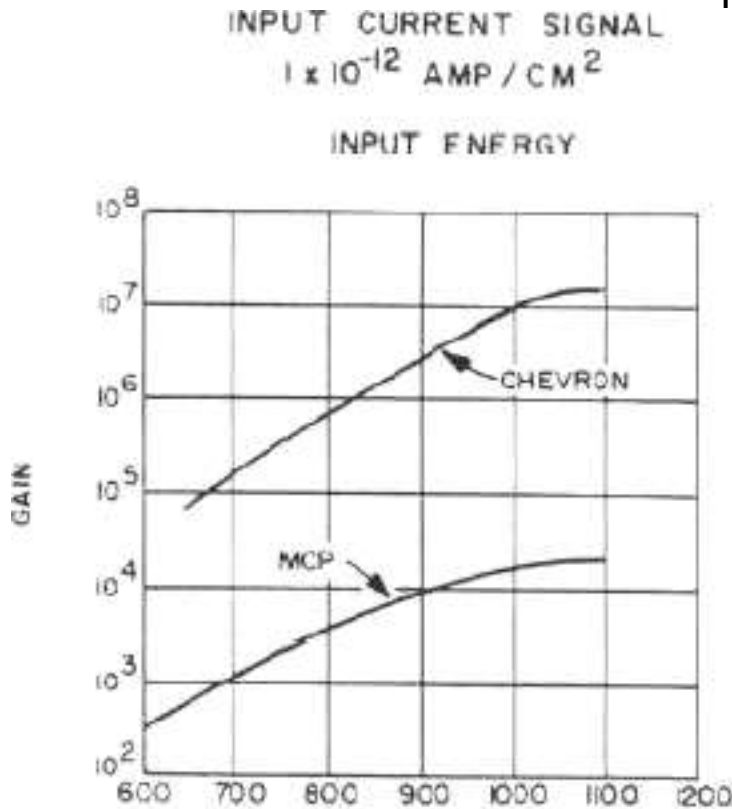
Multi-Channel Plate



"Chevron"

Applications of Channel Plate Multipliers

high gain=high efficiency, fast response. Use for timing (TOF-Start/Stop)

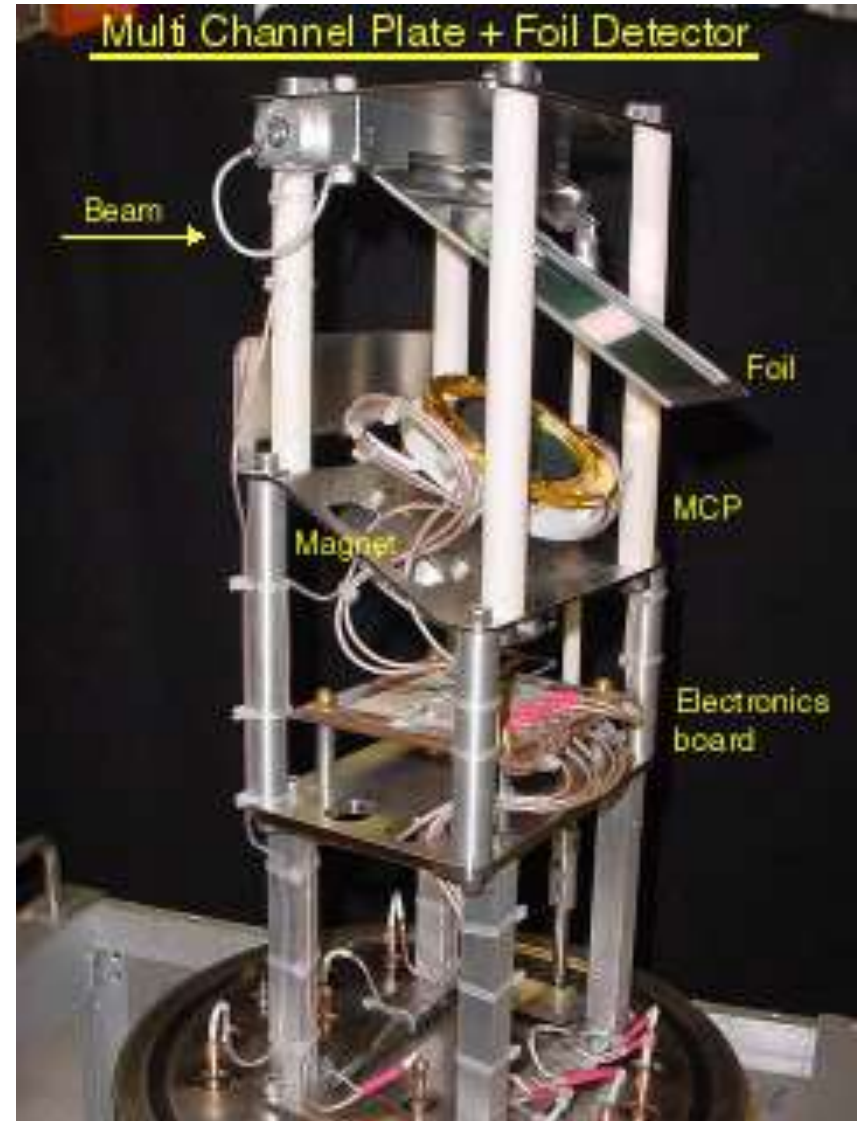


HI beam releases δ electrons in C foil, multiplied with multi-stage chevron

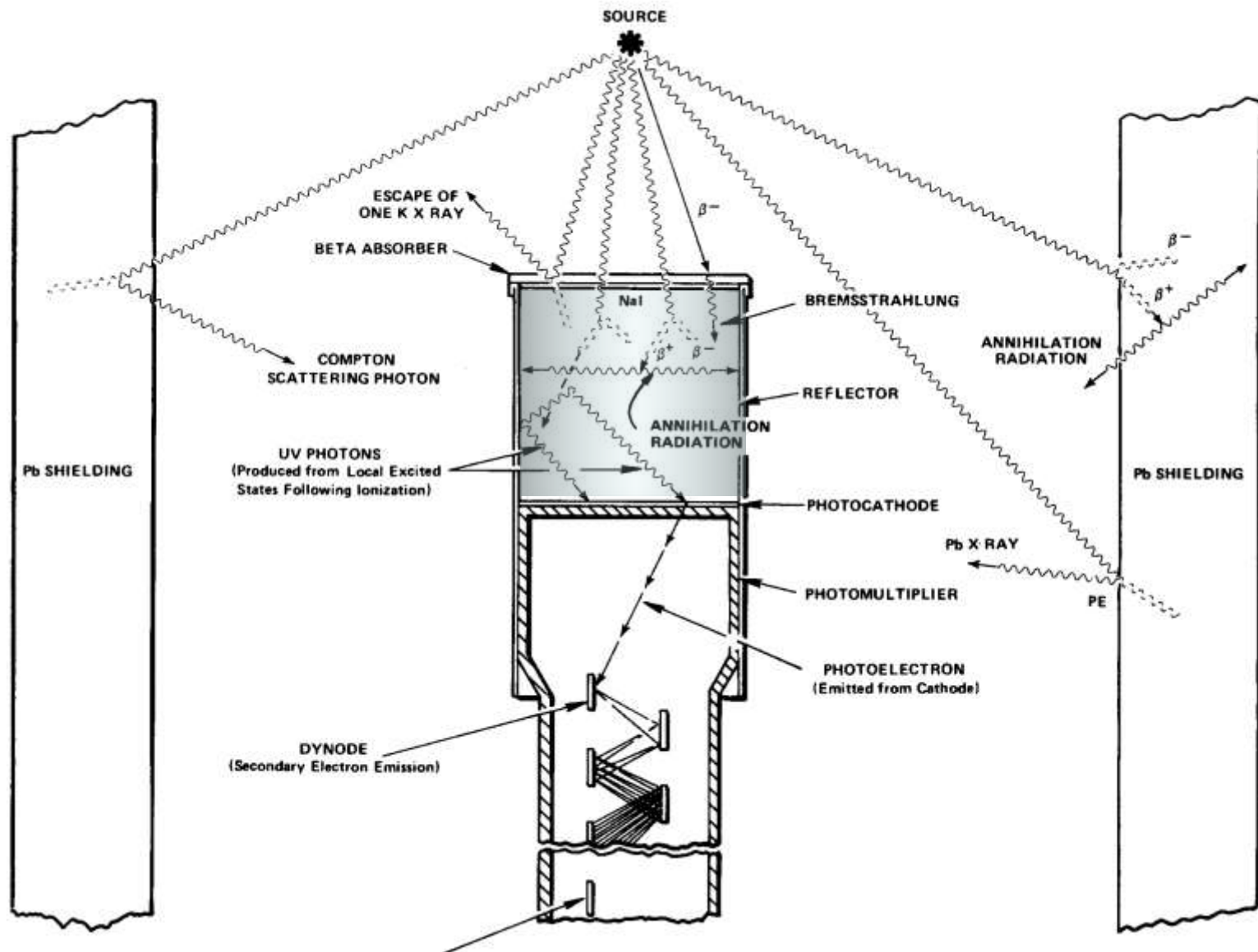
Examples of MCP e-Multipliers



Chevron mounted: EI-Mul
Technologies Ltd.

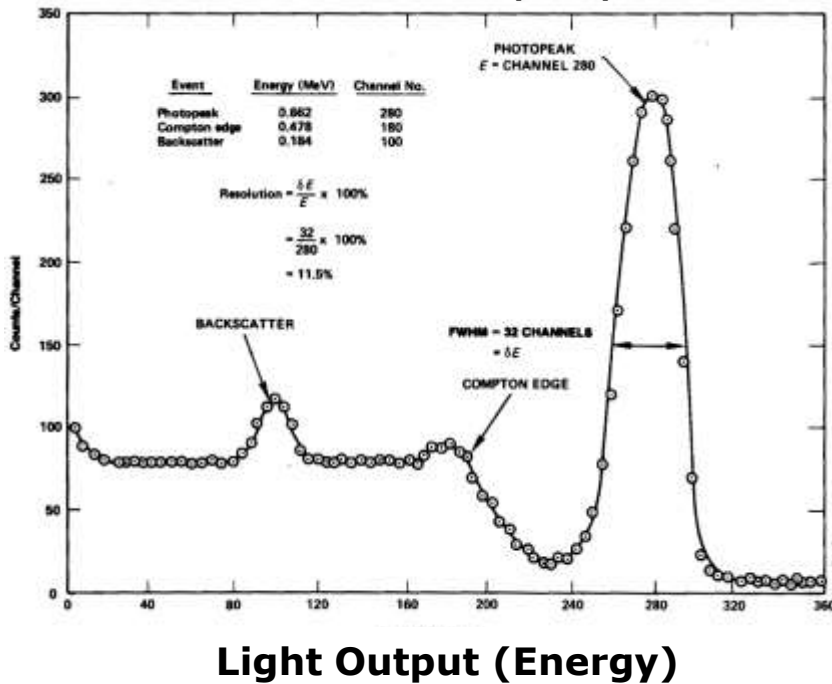


Environment of γ Scintillation Measurement

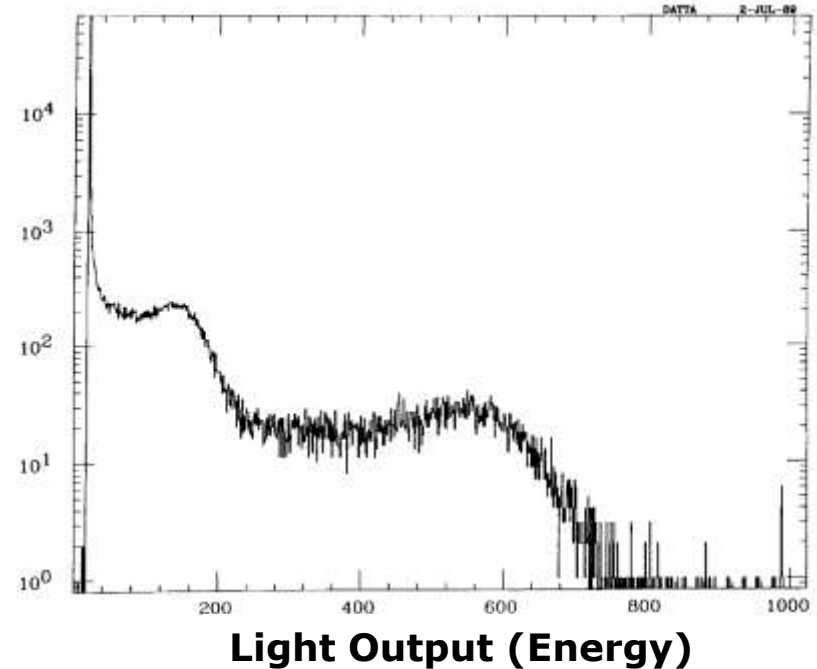


Photon Response

^{137}Cs - γ spectrum with inorganic scintillator (NaI)

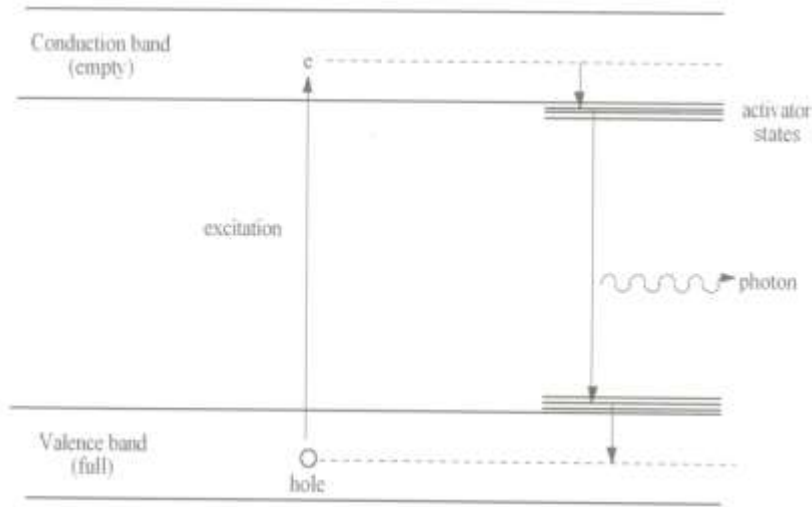


^{22}Na - γ spectrum with organic scintillator (NE213)



Low-Z detector material \rightarrow no photo peak

Scintillation Mechanism: Inorganic Scintillators



Primary ionization and excitations of e⁻ or excitons (e⁻,h⁺) → sequential deexcitation with different time constants.

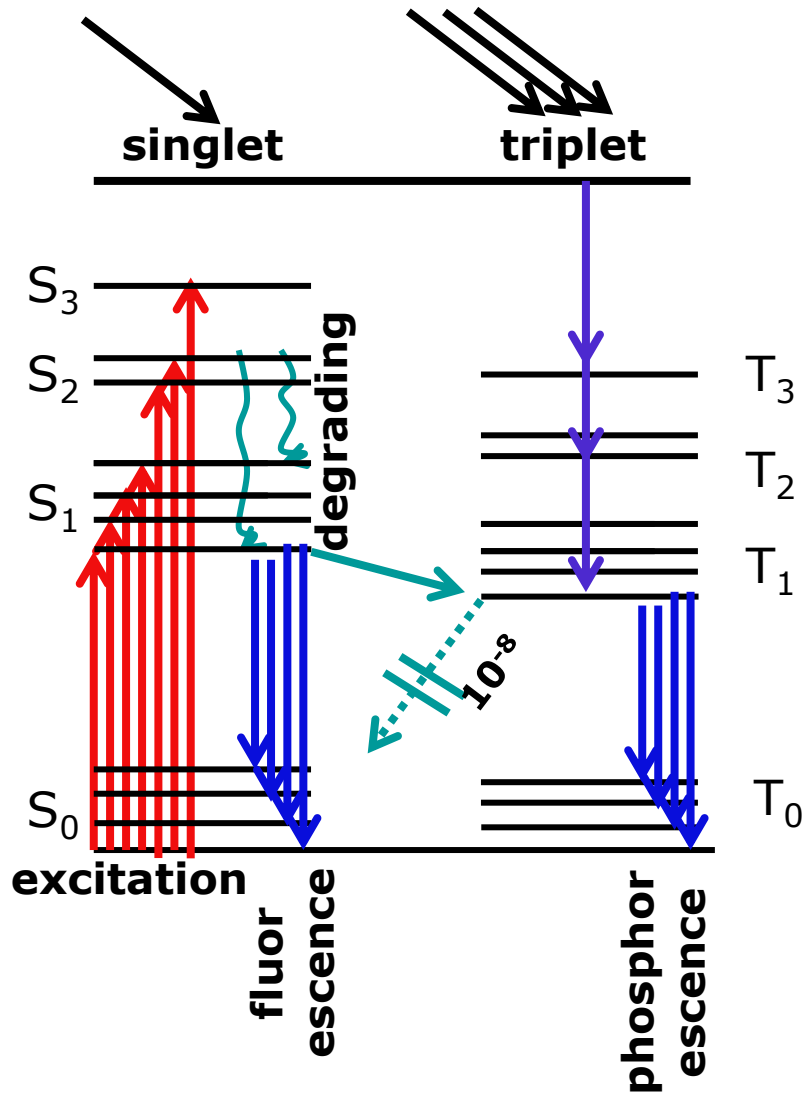
Shifts spectrum to longer wave lengths

Advantage of inorganic scintillators: high density, stopping power → good efficiency

Disadvantage of inorganic scintillators: slow response – μs decay time, “after glow”, some are hygroscopic

Excitation electronic:
VB → CB (or below)
Trapping of e⁻ in activator states (TI) doping material, in gs of activator band e transition emits lower E_γ, not absorbed.

Scintillation Mechanism: Organic Scintillators



Excitation of molecular states determined by π electrons: singlets (??) and triplets (??). Form vibrational band heads

Trapping of e- in triplet states, slow decay to S₀ ground state

Triplet excited (3:1) via ion recombination.

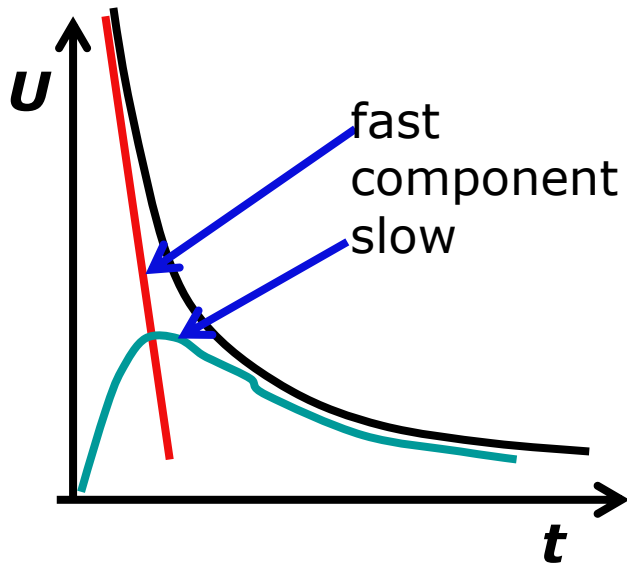
Decay via collisions
 $TT \rightarrow SS + \text{phonons}$ ($\tau \sim 300$ ns)

E1 excitation/radiation less transitions depends on ionization density (A,Z,E)

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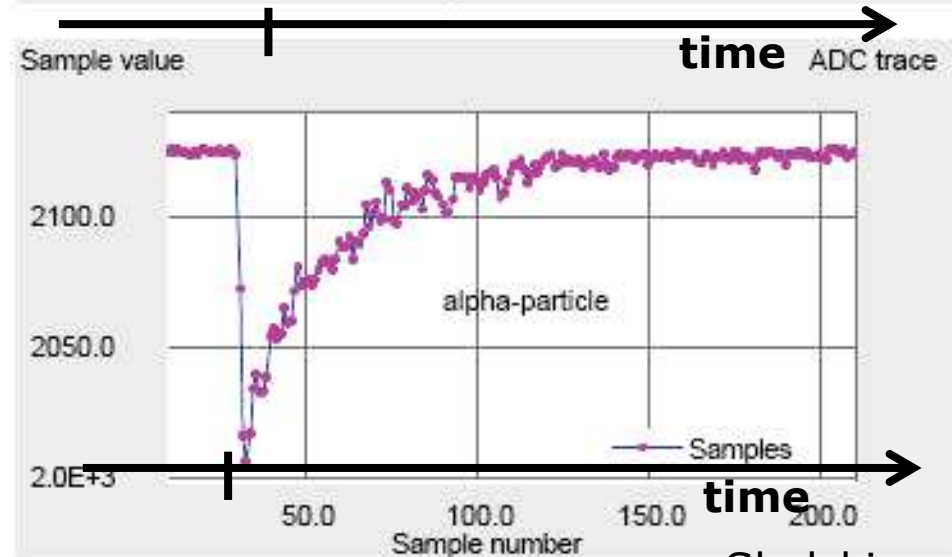
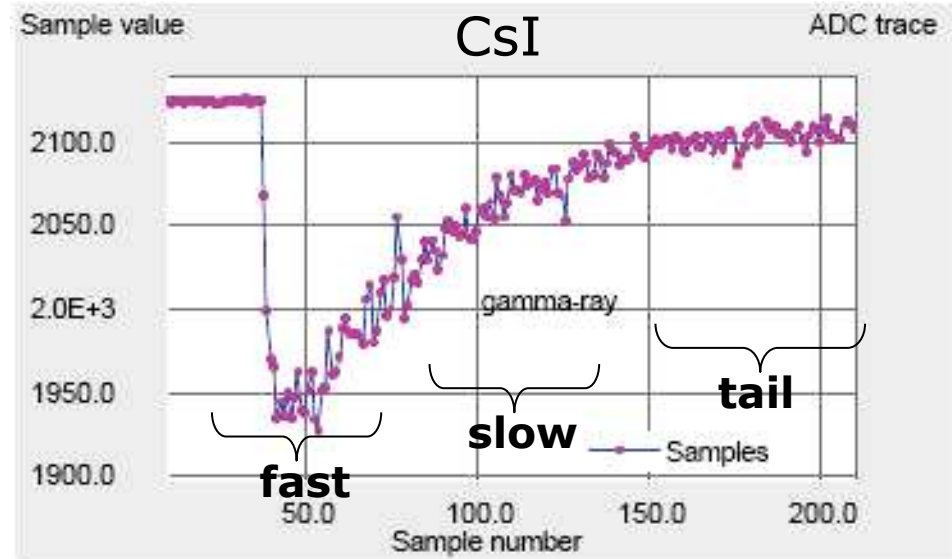
ScintillationDet

Light Output Response

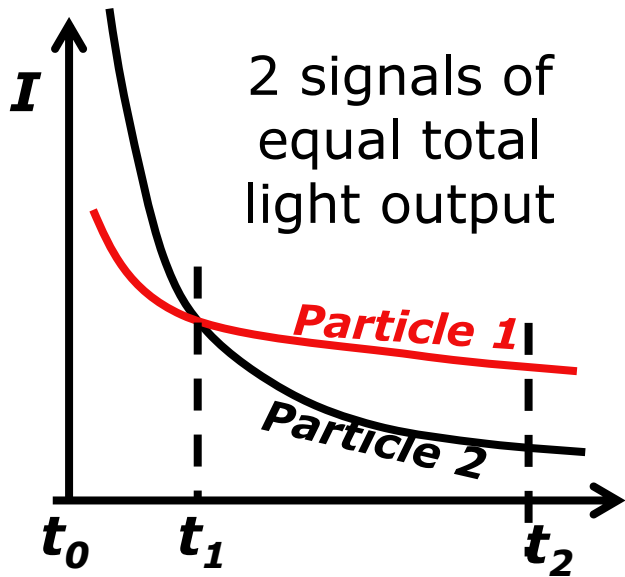


Different radiation leads to different mix of fast and slow \rightarrow ID

Pulse shape discrimination
retained electronically \rightarrow



Pulse Shape Analysis

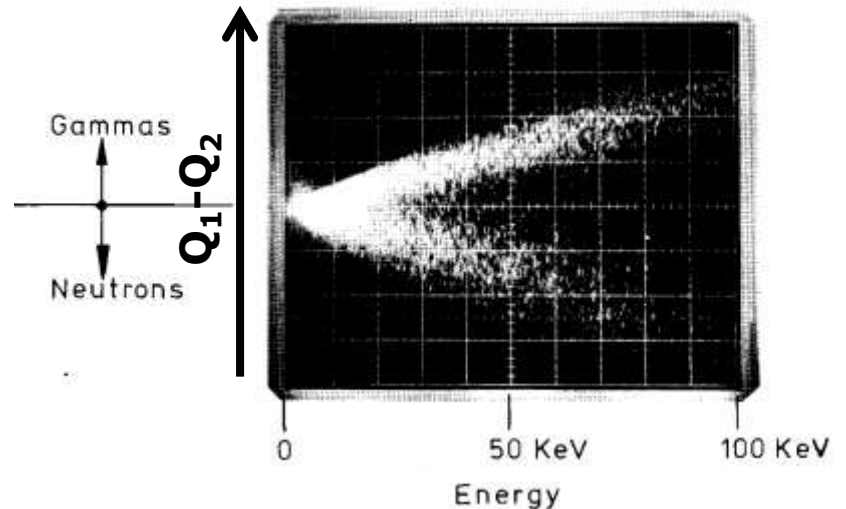
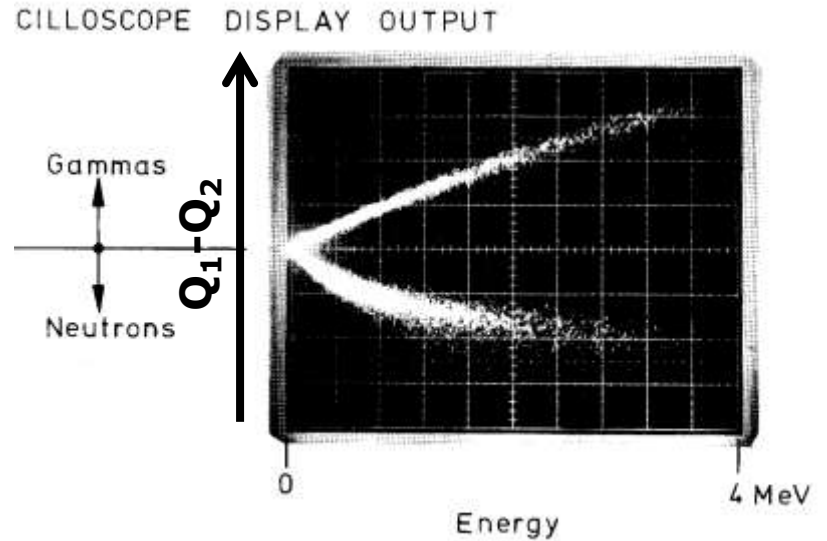


$$Q_1 = \int_{t_0}^{t_1} I(t) dt$$

$$Q_2 = \int_{t_1}^{t_2} I(t) dt$$

$$Q_1 + Q_2 = Q \propto L(\text{Energy})$$

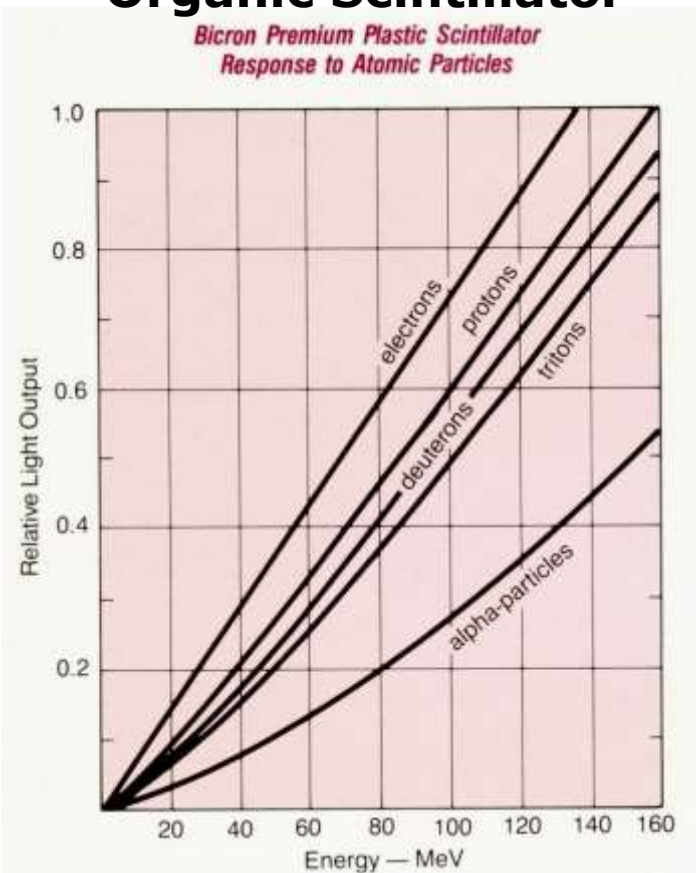
fast
component
slow



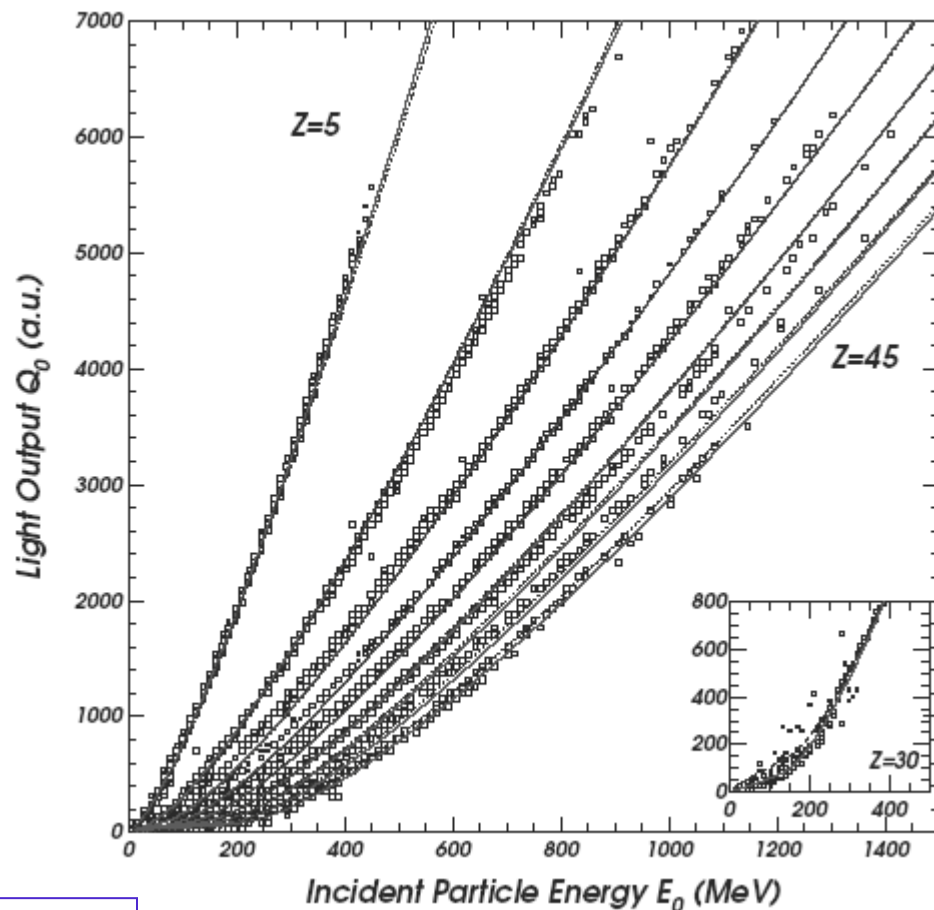
Particle ID via Pulse Shape Analysis

Bicron Corporation

Organic Scintillator



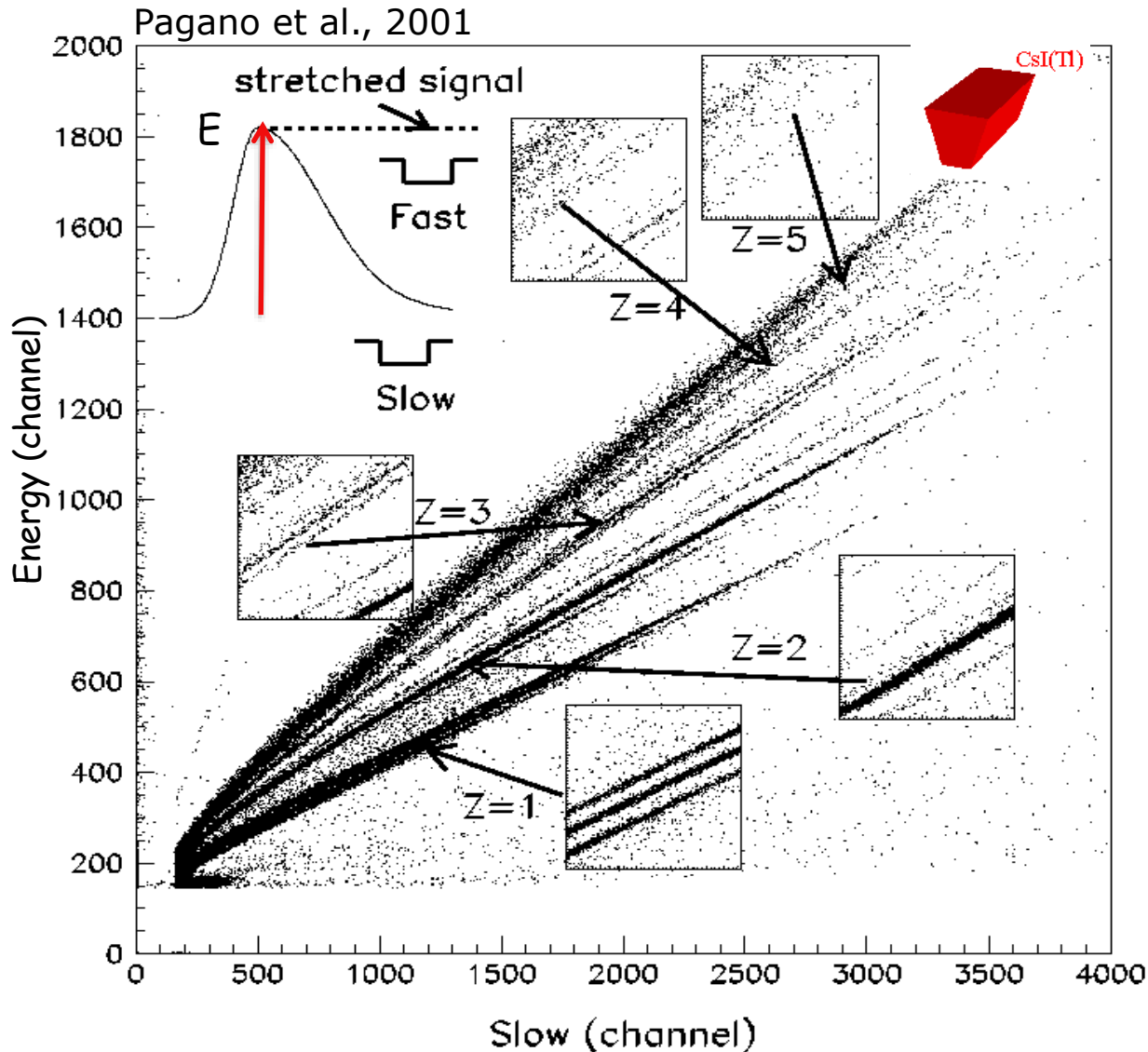
Inorganic Scintillator CsI(Tl)



For given energy, heavier particles have less light output (quenching)

INDRA Collaboration

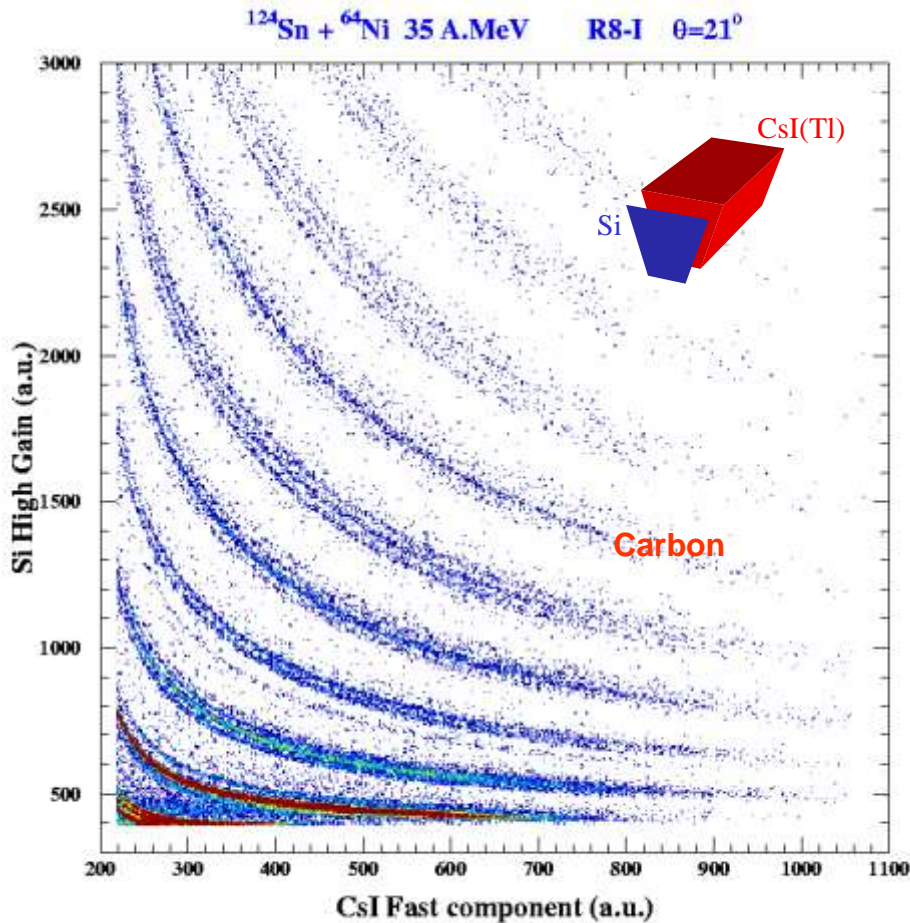
Light Charged Particle Identification: CsI(Tl)



A-Z Identification of LCP's: CsI(Tl) with photodiode read-out and pulse shape discrimination (Chimera 14° (ring 6I)).

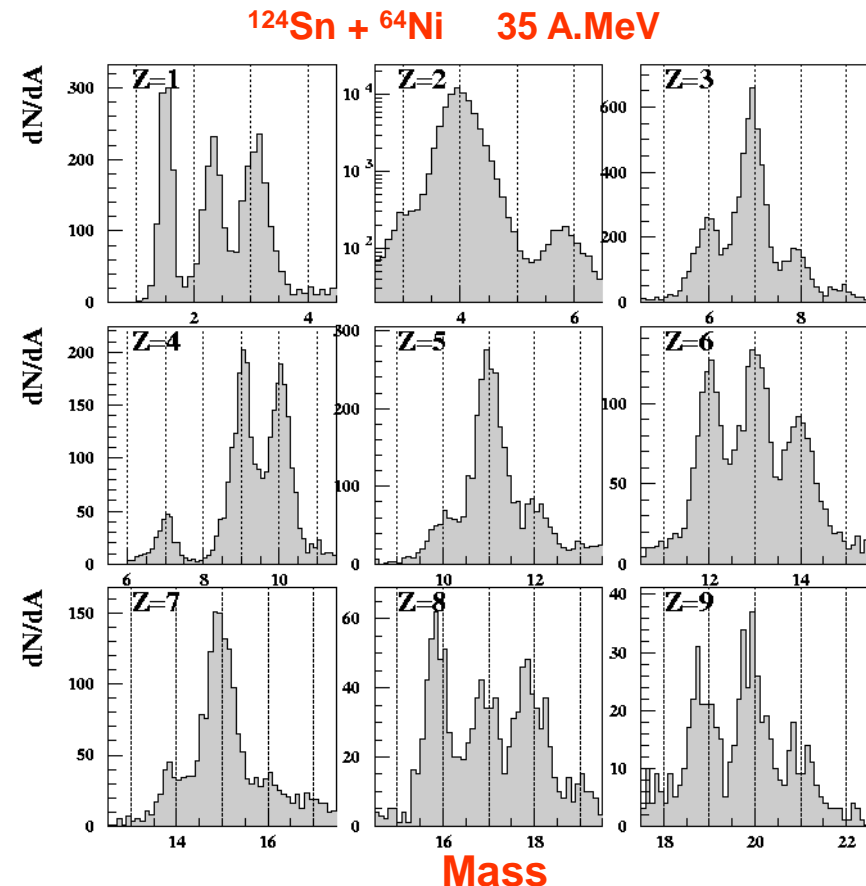
PID threshold for α and protons: 4-5 MeV proton equivalent energy. Good p, d, t discrimination > 20 MeV proton energy.

ΔE -E Isotope Identification



Combine CsI with Si ΔE

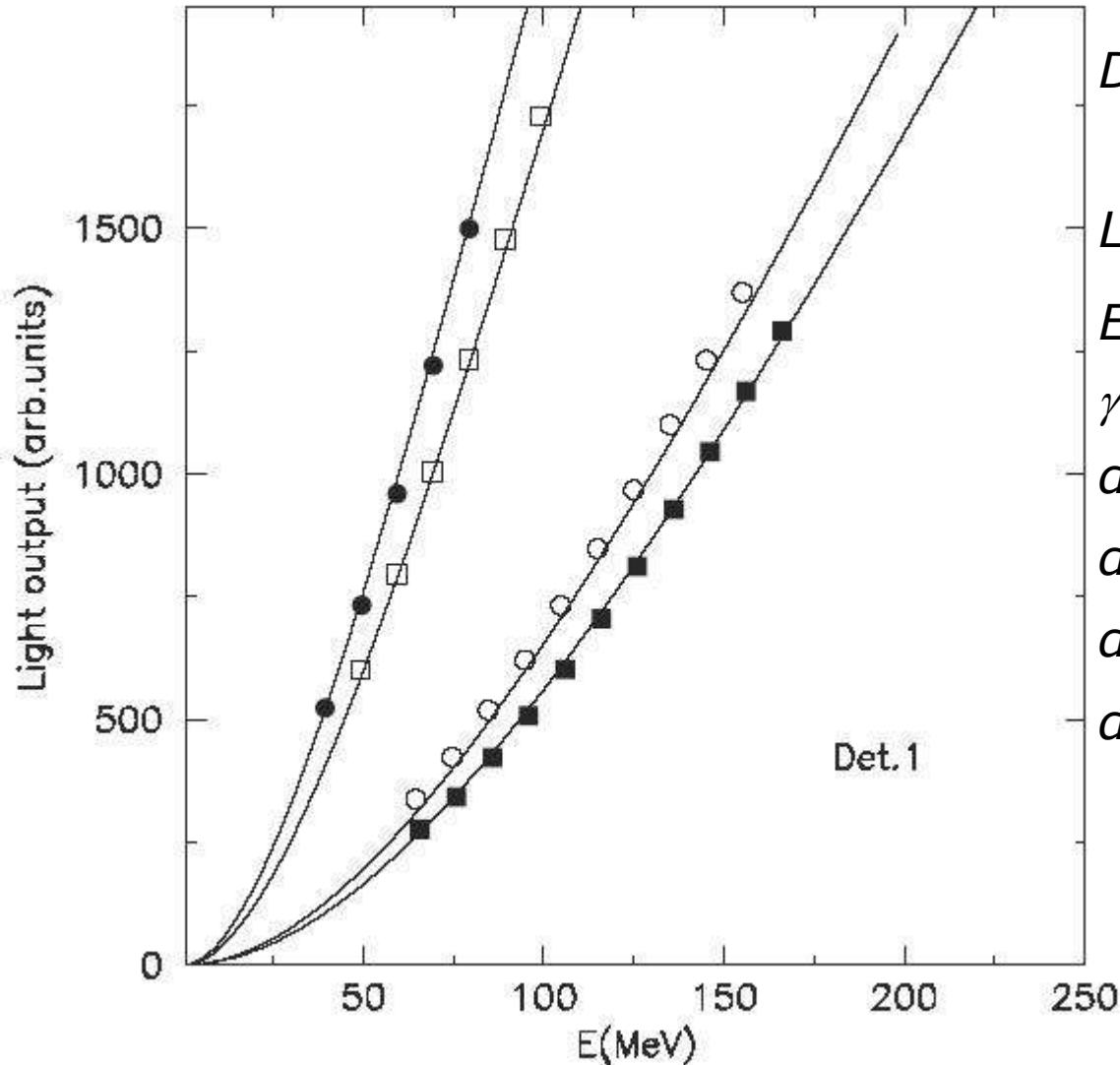
A-Z identification (up to $Z=9$) based on a Bethe-Bloch formula, no need for energy calibration



- 1) Reverse collaboration, LNS report (2001).
- 2) L. Tassan Got, Preprint IPNO-DR-01-008

CsI(Tl) Light Output Parameterization

Abondanno et al., NIM A488, 604 (2002)



Data fitted ${}^7\text{Li}, \dots, {}^{48}\text{Ti}$

$$L(E) = \gamma \left[E + E_0 \left(e^{-E/E_0} - 1 \right) \right]$$

$$E_0 = d_1 \cdot Z$$

$$\gamma = d_2/Z + d_3 + d_4 \cdot Z$$

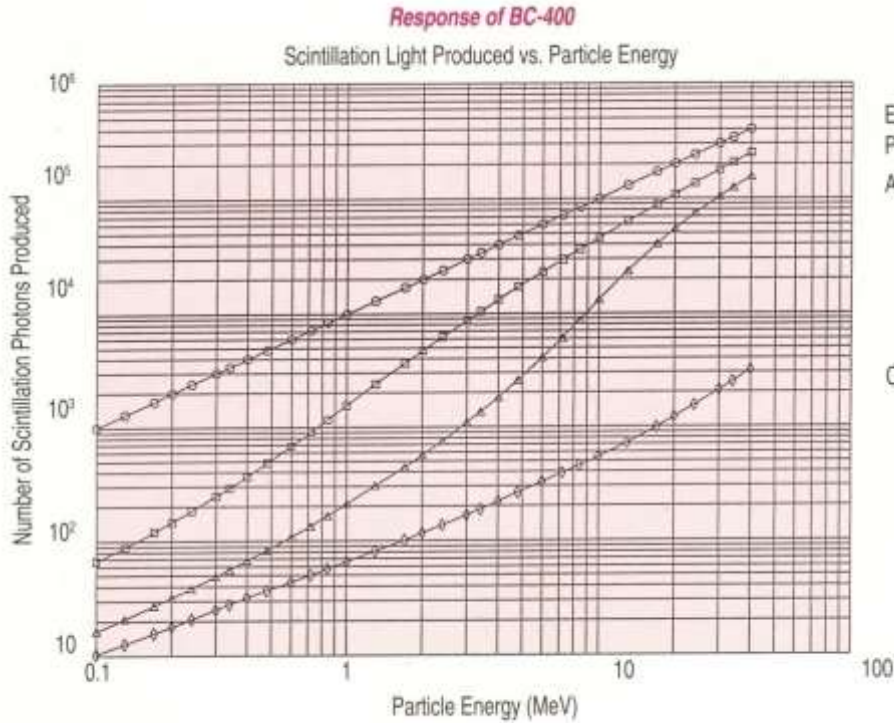
$$d_1 = (5.31 \pm 0.05) \text{MeV}$$

$$d_2 = (101.03 \pm 0.49) \text{MeV}^{-1}$$

$$d_3 = (7.60 \pm 0.06) \text{MeV}^{-1}$$

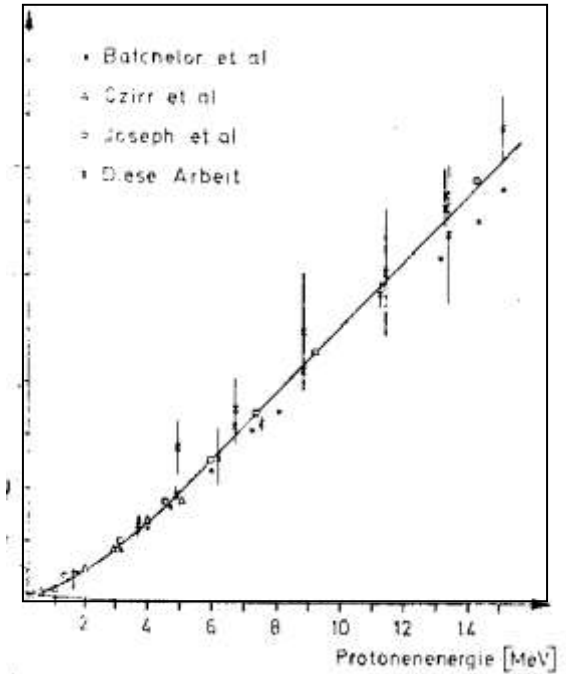
$$d_4 = (0.00 \pm 0.22 \cdot 10^{-3}) \text{MeV}^{-1}$$

Non-Linear Light Output Response



Electrons
Photons
Alphas

Carbons



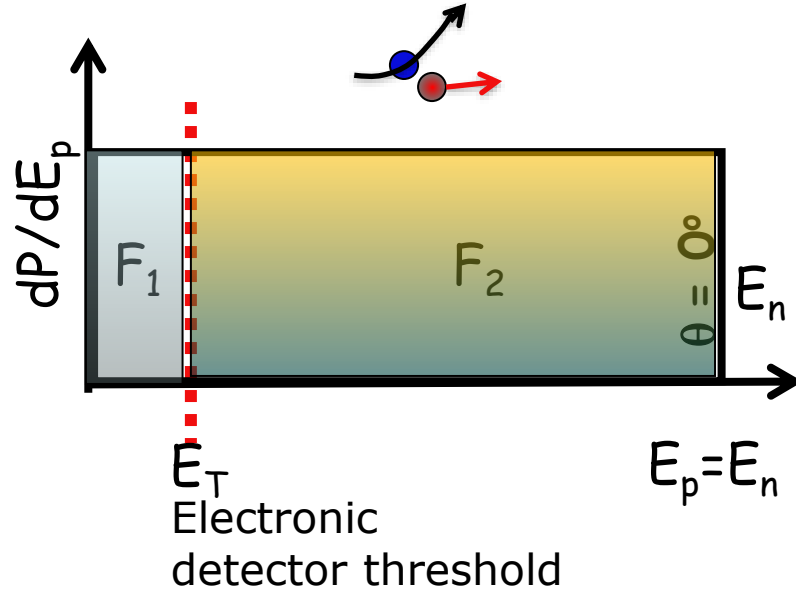
For a given energy,
electrons & photons have
the highest light output

NE 213 liquid scintillator:
e-equivalent energies $E_e \leftrightarrow E_p$

$$E_e(E_p) = \begin{cases} (0.18 \text{ MeV}^{-1/2}) E_p^{3/2} & E_p < 5.25 \text{ MeV} \\ 0.63 E_p - 1.10 \text{ MeV} & E_p \geq 5.25 \text{ MeV} \end{cases}$$

Efficiency of p -Recoil Neutron Detectors

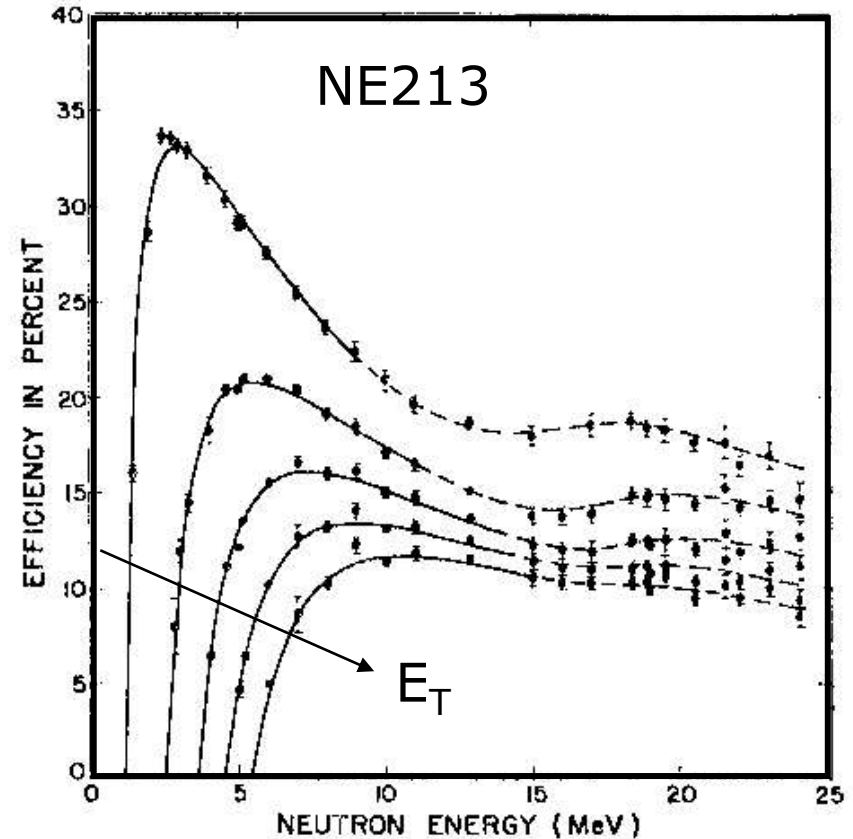
angle dependent n - p energy transfer \rightarrow continuous recoil energy spectrum



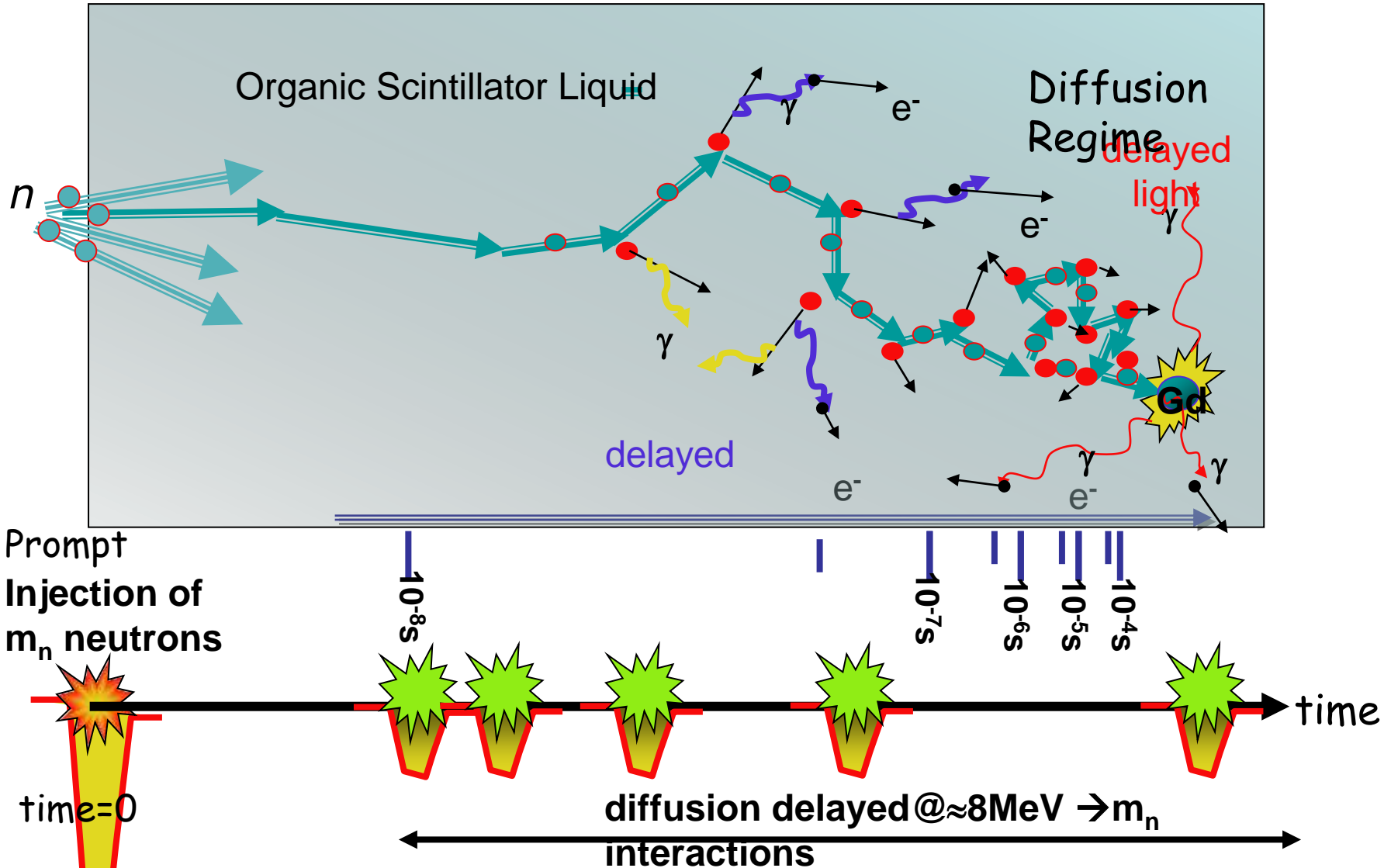
$$\varepsilon(E_n, E_T) = \frac{F_2}{F_1 + F_2}$$

$$\approx \sigma(E_n) \left[1 - \frac{E_T}{E_n} \right]$$

$$\sigma(E_n) = \sum_{X,Y} \sigma_{X(n,Y)}(E_n) \text{ all } n\text{-induced}$$



Activated Scintillation Process

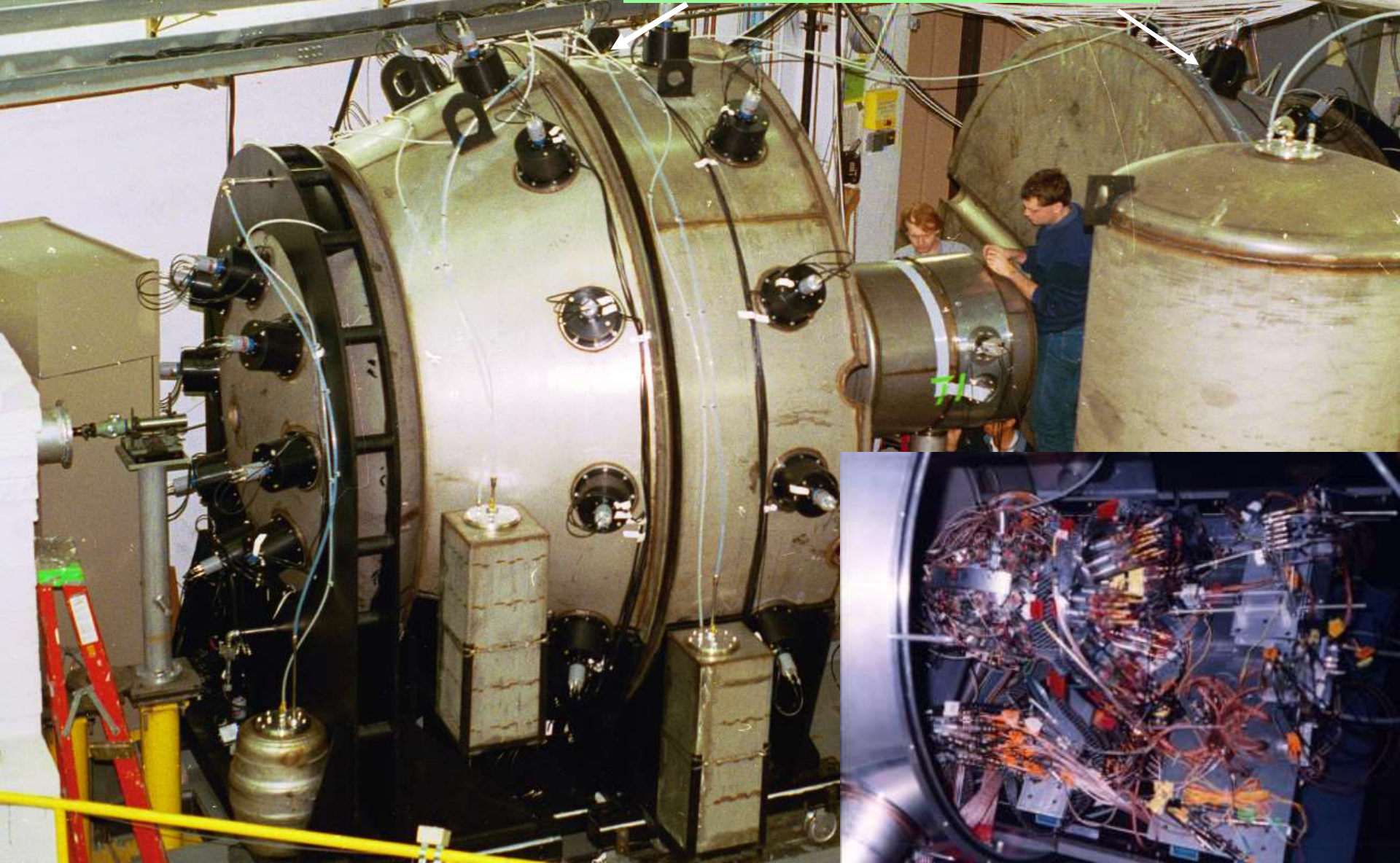


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ScintillationDet

SuperBall-Dwarf Calorimeter

SuperBall Scintillation Detector



The End